

## I. Fill in the blanks:

1.  $A + A'B = \dots$
2.  $A(A+B) = \dots$
3.  $A(A'+B) = \dots$
4. The dual for the relation  $A \cdot A = A$  is  $\dots$
5. The dual for the relation  $A + A' = 1$  is  $\dots$

## II. Multiple choice questions:

1. The complement of  $(A+BC+AB)$  is
    - (i)  $A'(B'+C')$
    - (ii)  $A'+B'+C'$
    - (iii)  $A'B'C'$
    - (iv)  $(A'+B')C'$
  2. The complement of  $(A+B)(B+C)(A+C)$  is
    - (i)  $AB'+BC'+A'C$
    - (ii)  $A'B'+B'C'+A'C'$
    - (iii)  $AB+BC'+A'C$
    - (iv)  $AB+BC+AC'$
  3.  $Y=(A+B)(A+C)$  is equivalent to
    - (i)  $A+BC$
    - (ii)  $A'+BC$
    - (iii)  $A+B'C$
    - (iv)  $A+BC'$
  4. On reducing the following Boolean expression,  $A+A'+B+C$  the result we get is
    - (i) 1
    - (ii) 0
  5.  $Y=AB+B+A+C$  is equivalent to
    - (i)  $ABC$
    - (ii)  $A'BC$
    - (iii)  $A+B+C$
    - (iv)  $(A+B)C$
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1. Simplify the following identities :
    - (i)  $AB+(AC)'+AB'C$  ( $AB+C$ )
    - (ii)  $A'B'C'+A'BC'+AB'C'+ABC'$
  2. Prove the following using De Morgan's theorem:
    - (i)  $(A+B)(A'C'+C)(B'+AC)'$
    - (ii)  $[(AB+C')\{(A+B)'+C\}]'$
  3. Simplify  $ABC+AB'C+ABC'$  to  $Y= A(B+C)$
  4. Simplify the expression  $\{(AB'+ABC)'+A(B+AB')\}'$
  5. Prove that  $A'B'C'+A'B'C+A'BC'+A'BC+AB'C' = A'+(B+C)'$
  6. Simplify the expression  $Y = A'B+ABD+AB'CD'+BC$